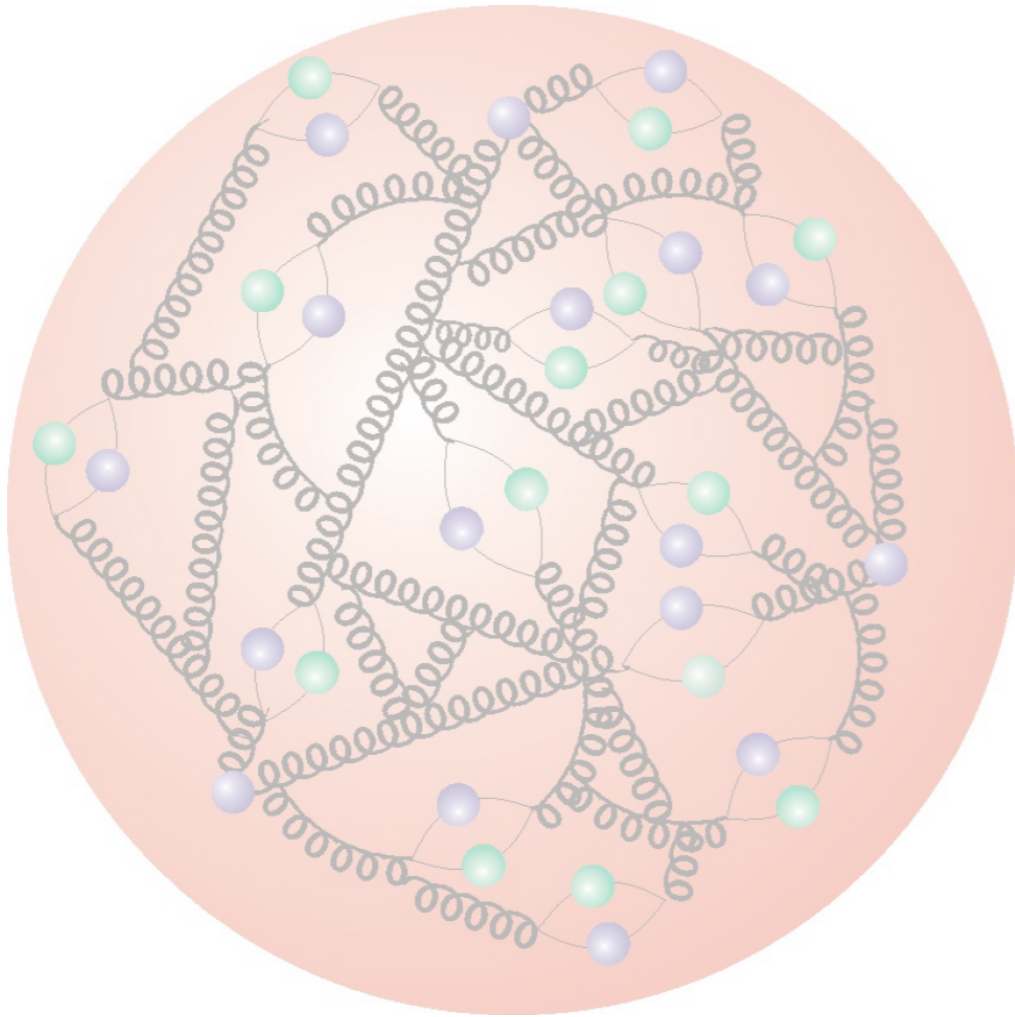
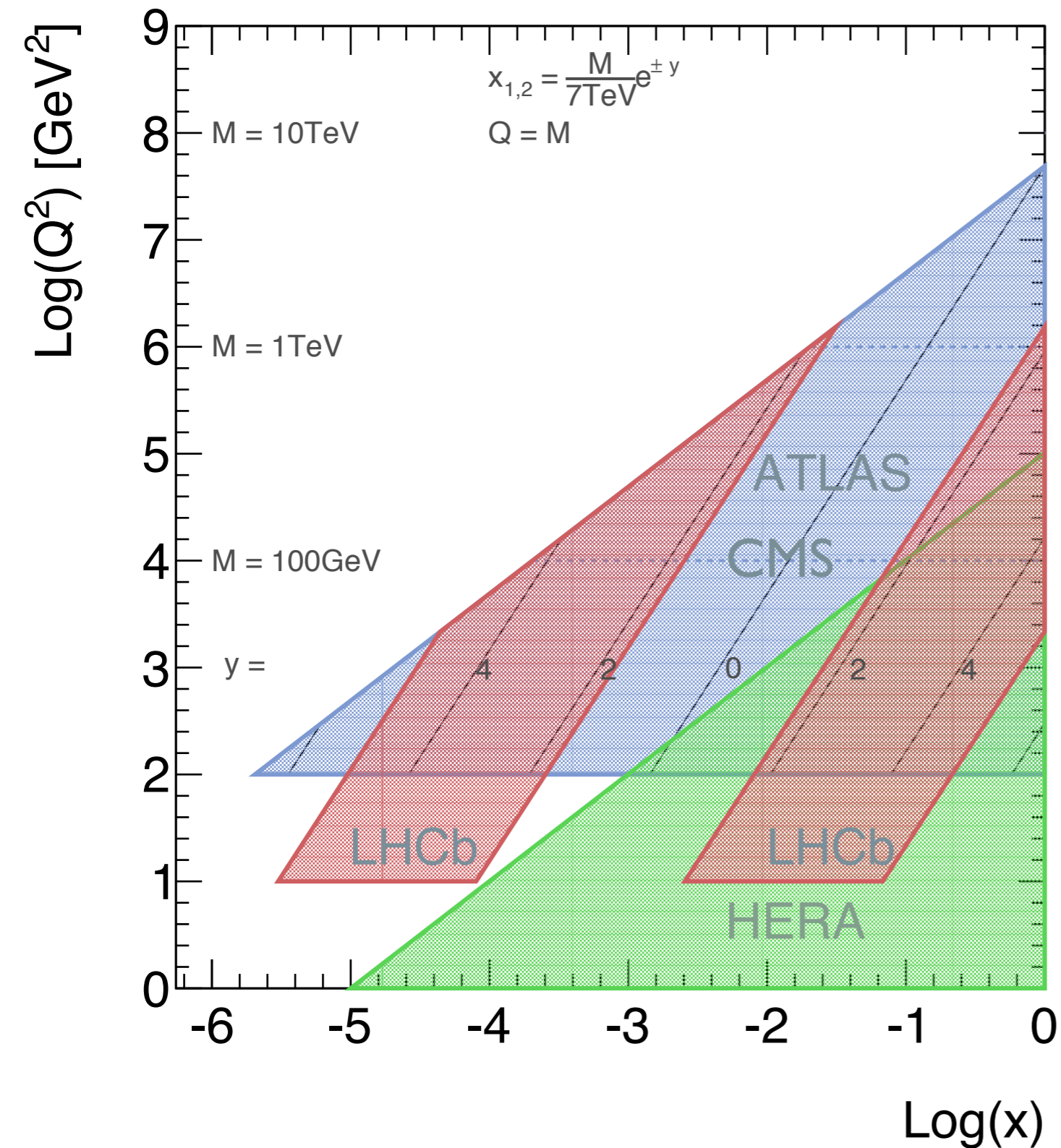


Inclusive DIS at High Q^2 at HERA



- Introduction
- HERA-II Updates
- H1 NC $e^\pm p$
- H1 CC $e^\pm p$
- QCD Fits



LHC: largest mass states at large x

For central production $x=x_1=x_2$

$$M=x\sqrt{s}$$

i.e. $M > 1\text{TeV}$ probes $x > 0.1$

Searches for high mass states require precision knowledge at high x

Z' / quantum gravity / susy searches...

DGLAP evolution allows predictions to be made

High x predictions rely on

- data (DIS / fixed target)
- sum rules
- behaviour of PDFs as $x \rightarrow 1$

$$\frac{d\sigma_{NC}^{\pm}}{dx dQ^2} = \frac{2\pi\alpha^2}{x} \left[\frac{1}{Q^2} \right]^2 \left[Y_+ \tilde{F}_2 \mp Y_- x \tilde{F}_3 - y^2 \tilde{F}_L \right]$$

$$\frac{d\sigma_{CC}^{\pm}}{dx dQ^2} = \frac{G_F^2}{4\pi x} \left[\frac{M_W^2}{M_W^2 + Q^2} \right]^2 \left[Y_+ \tilde{W}_2^{\pm} \mp Y_- x \tilde{W}_3^{\pm} - y^2 \tilde{W}_L^{\pm} \right]$$

$$Y_{\pm} = 1 \pm (1-y)^2$$

$$\tilde{F}_2 \propto \sum (xq_i + x\bar{q}_i)$$

Dominant contribution

$$x\tilde{F}_3 \propto \sum (xq_i - x\bar{q}_i)$$

Only sensitive at high $Q^2 \sim M_Z^2$

$$\tilde{F}_L \propto \alpha_s \cdot xg(x, Q^2)$$

Only sensitive at low Q^2 and high y

The NC reduced cross section defined as:

$$\tilde{\sigma}_{NC}^{\pm} = \frac{Q^2 x}{2\alpha\pi^2} \frac{1}{Y_+} \frac{d^2\sigma^{\pm}}{dx dQ^2}$$

$$\tilde{\sigma}_{NC}^{\pm} \sim \tilde{F}_2 \mp \frac{Y_-}{Y_+} x\tilde{F}_3$$

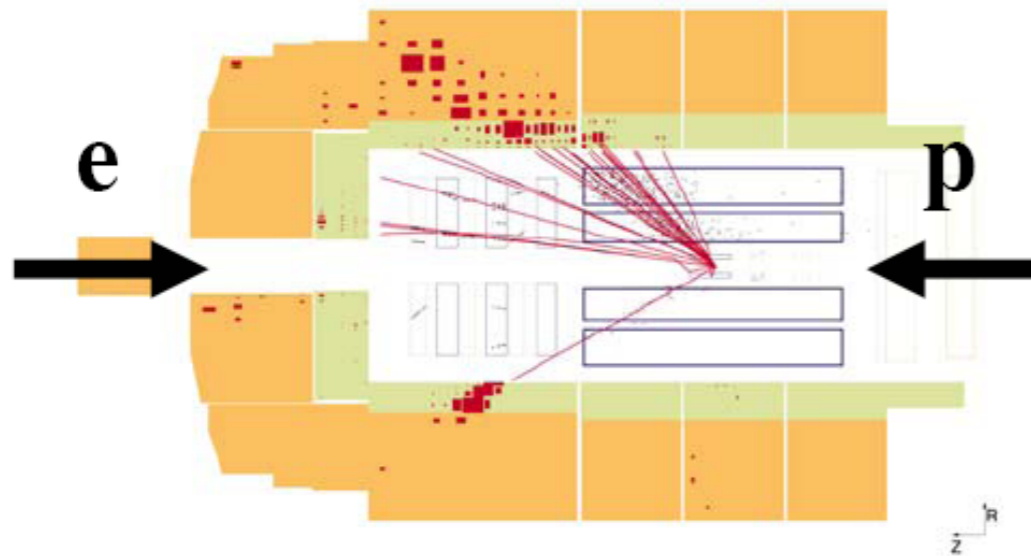
The CC reduced cross section defined as:

$$\sigma_{CC}^{\pm} = \frac{2\pi x}{G_F^2} \left[\frac{M_W^2 + Q^2}{M_W^2} \right]^2 \frac{d\sigma_{CC}^{\pm}}{dx dQ^2}$$

$$\frac{d\sigma_{CC}^{\pm}}{dx dQ^2} = \frac{1}{2} \left[Y_+ W_2^{\pm} \mp Y_- x W_3^{\pm} - y^2 W_L^{\pm} \right]$$

similarly for pure weak CC analogues:

$$W_2^{\pm}, xW_3^{\pm} \text{ and } W_L^{\pm}$$



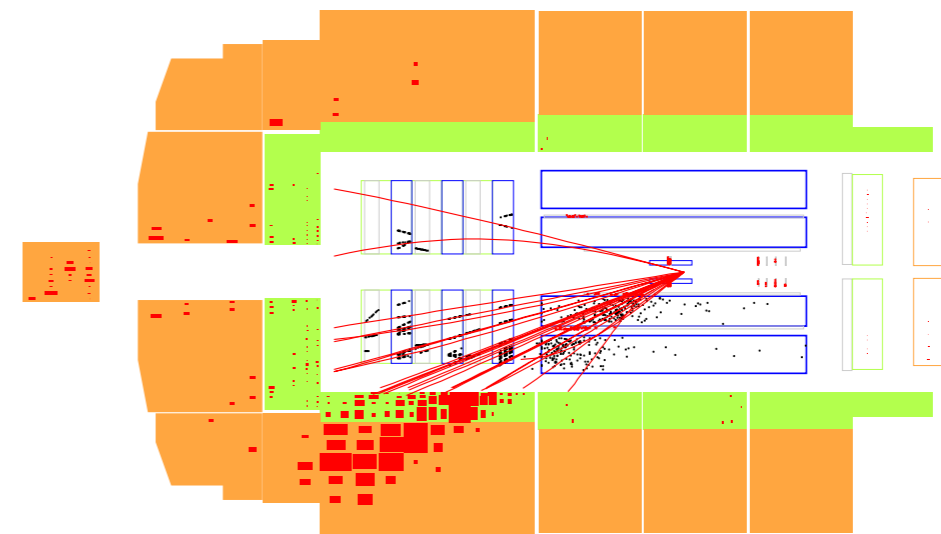
Neutral current event selection:

High P_T isolated scattered lepton
 Suppress huge photo-production background by imposing longitudinal energy-momentum conservation

Kinematics may be reconstructed in many ways:
 energy/angle of hadrons & scattered lepton provides excellent tools for sys cross checks

Removal of scattered lepton provides a high stats “pseudo-charged current sample”
 Excellent tool to cross check CC analysis

Final selection: $\sim 10^5$ events per sample at high Q^2
 $\sim 10^7$ events for $10 < Q^2 < 100 \text{ GeV}^2$



Charged current event selection:

Large missing transverse momentum (neutrino)

Suppress huge photo-production background

Topological finders to remove cosmic muons

Kinematics reconstructed from hadrons

Final selection: $\sim 10^3$ events per sample

HERA-I operation 1993-2000

$E_e = 27.6 \text{ GeV}$

$E_p = 820 / 920 \text{ GeV}$

$\int \mathcal{L} \sim 110 \text{ pb}^{-1}$ per experiment

HERA-II operation 2003-2007

$E_e = 27.6 \text{ GeV}$

$E_p = 920 \text{ GeV}$

$\int \mathcal{L} \sim 330 \text{ pb}^{-1}$ per experiment

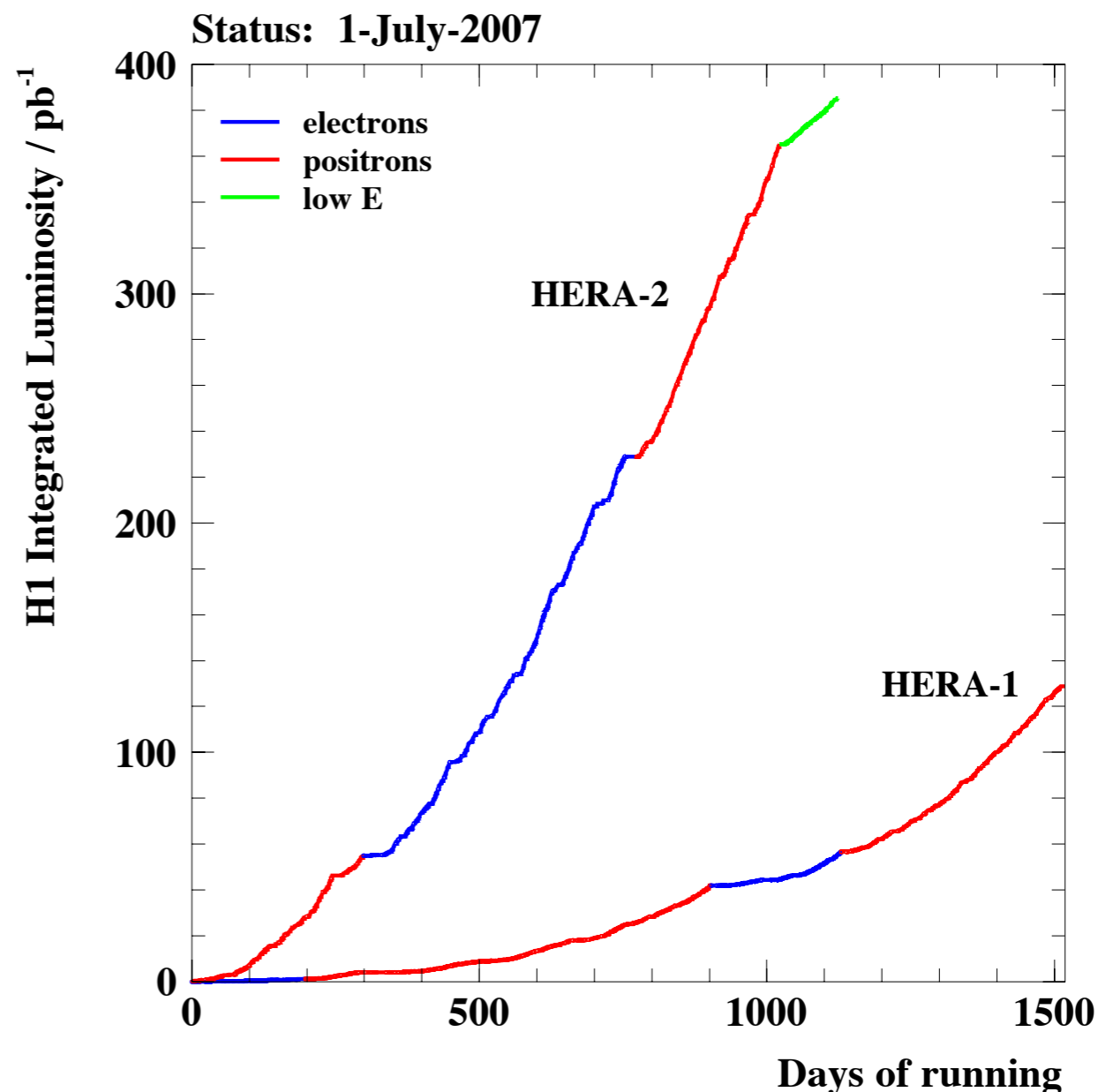
Longitudinally polarised leptons

Low Energy Run 2007

$E_e = 27.6 \text{ GeV}$

$E_p = 575 \text{ \& } 460 \text{ GeV}$

Dedicated F_L measurement



breakdown of HERA-II data samples

	R	L
e^-p	$\mathcal{L} = 47.3 \text{ pb}^{-1}$ $P_e = (+36.0 \pm 1.0)\%$	$\mathcal{L} = 104.4 \text{ pb}^{-1}$ $P_e = (-25.8 \pm 0.7)\%$
e^+p	$\mathcal{L} = 101.3 \text{ pb}^{-1}$ $P_e = (+32.5 \pm 0.7)\%$	$\mathcal{L} = 80.7 \text{ pb}^{-1}$ $P_e = (-37.0 \pm 0.7)\%$

Up till now HERA-II datasets only partially published

ZEUS CC e^-p	175 pb ⁻¹	EPJ C 61 (2009) 223-235
ZEUS CC e^+p	132 pb ⁻¹	EPJ C 70 (2010) 945-963
ZEUS NC e^-p	170 pb ⁻¹	EPJ C 62 (2009) 625-658
ZEUS NC e^+p	135 pb ⁻¹	ZEUS-prel-11-003
H1 CC e^-p	149 pb ⁻¹	H1prelim-09-043
H1 CC e^+p	180 pb ⁻¹	H1prelim-09-043
H1 NC e^-p	149 pb ⁻¹	H1prelim-09-042
H1 NC e^+p	180 pb ⁻¹	H1prelim-09-042



HERA-II datasets
Combined in HERAPDF1.5
(except ZEUS NC e^+p)

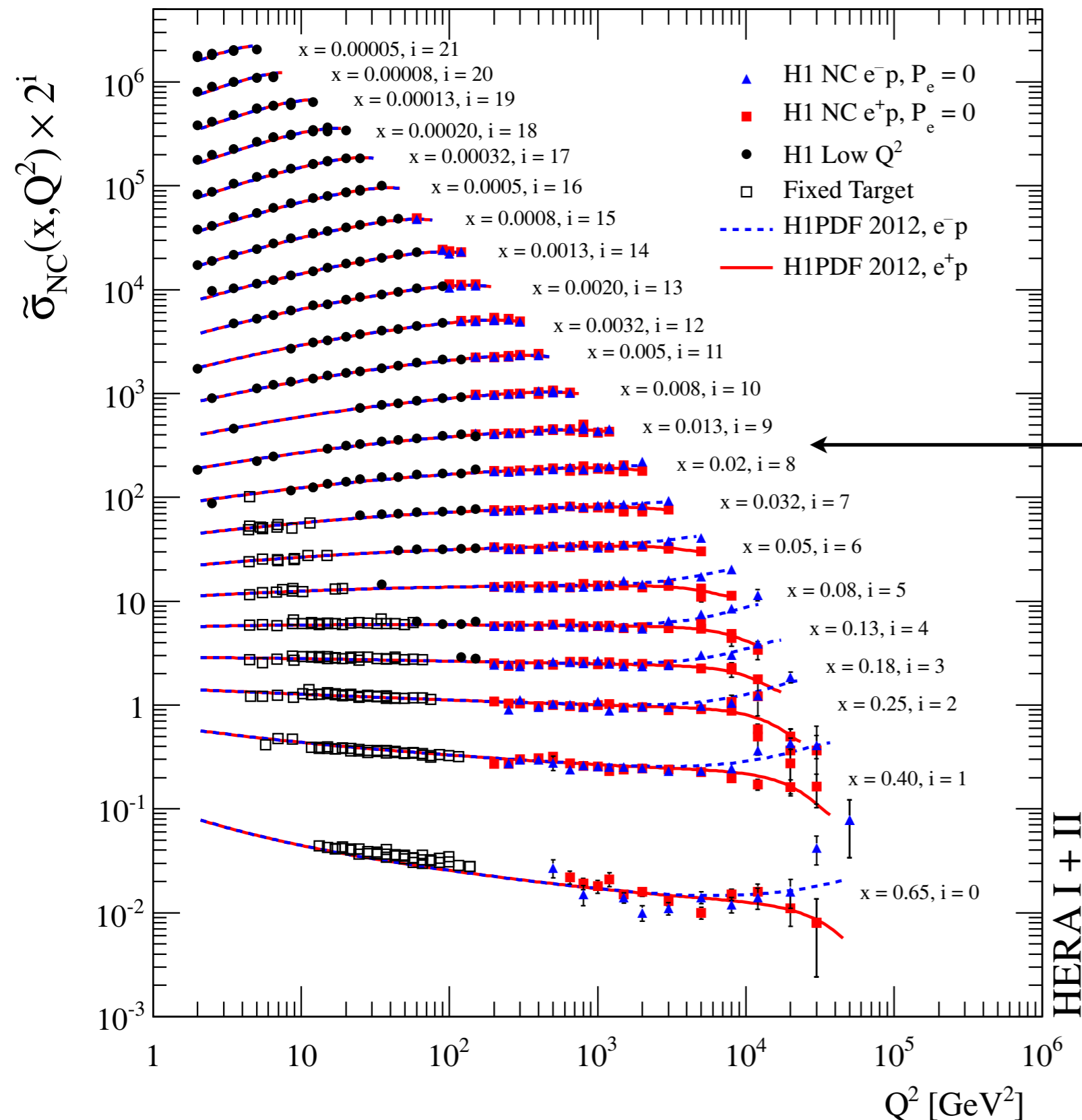


ZEUS CC e^-p	175 pb ⁻¹	EPJ C 61 (2009) 223-235
ZEUS CC e^+p	132 pb ⁻¹	EPJ C 70 (2010) 945-963
ZEUS NC e^-p	170 pb ⁻¹	EPJ C 62 (2009) 625-658
ZEUS NC e^+p	135 pb ⁻¹	arXiv:1208.6138
H1 CC e^-p	149 pb ⁻¹	JHEP 1209 (2012) 061
H1 CC e^+p	180 pb ⁻¹	
H1 NC e^-p	149 pb ⁻¹	
H1 NC e^+p	180 pb ⁻¹	

Complete the analyses of HERA high Q^2 inclusive structure function data

New published data increase $\int \mathcal{L}$ by
 ~ factor 3 for e^+p
 ~ factor 10 for e^-p
 much improved systematic uncertainties

H1 Collaboration



H1 precision 1.5% for $Q^2 < 500 \text{ GeV}^2$
 \Rightarrow factor 2 reduction in error wrt HERA-I

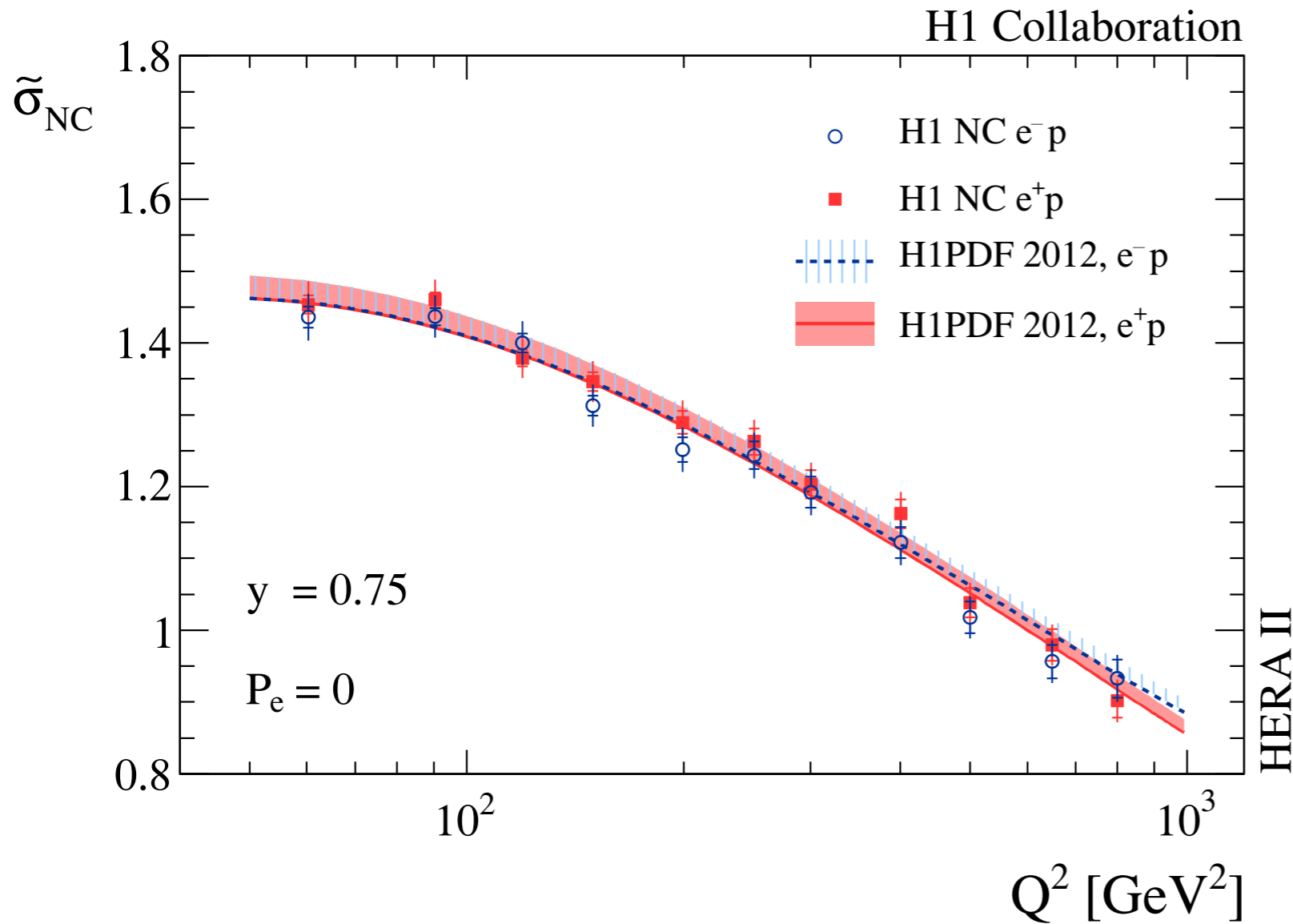
Statistics limited at higher Q^2 and high x

Extended reach at high x compared to H1 preliminary data

This x region is the 'sweet spot'
 High precision with long Q^2 lever arm
 x -range relevant for Higgs production

Combination of high Q^2 data
 HERA-I and HERA-II

Larger HERA-II luminosity
 \rightarrow improved precision at high x / Q^2



Measurement extension to high y at high Q^2

$$\sigma_{NC}^{\pm} \approx \tilde{F}_2 - \frac{y^2}{Y_+} \tilde{F}_L$$

$$\tilde{F}_L \propto \alpha_s \cdot xg(x, Q^2)$$

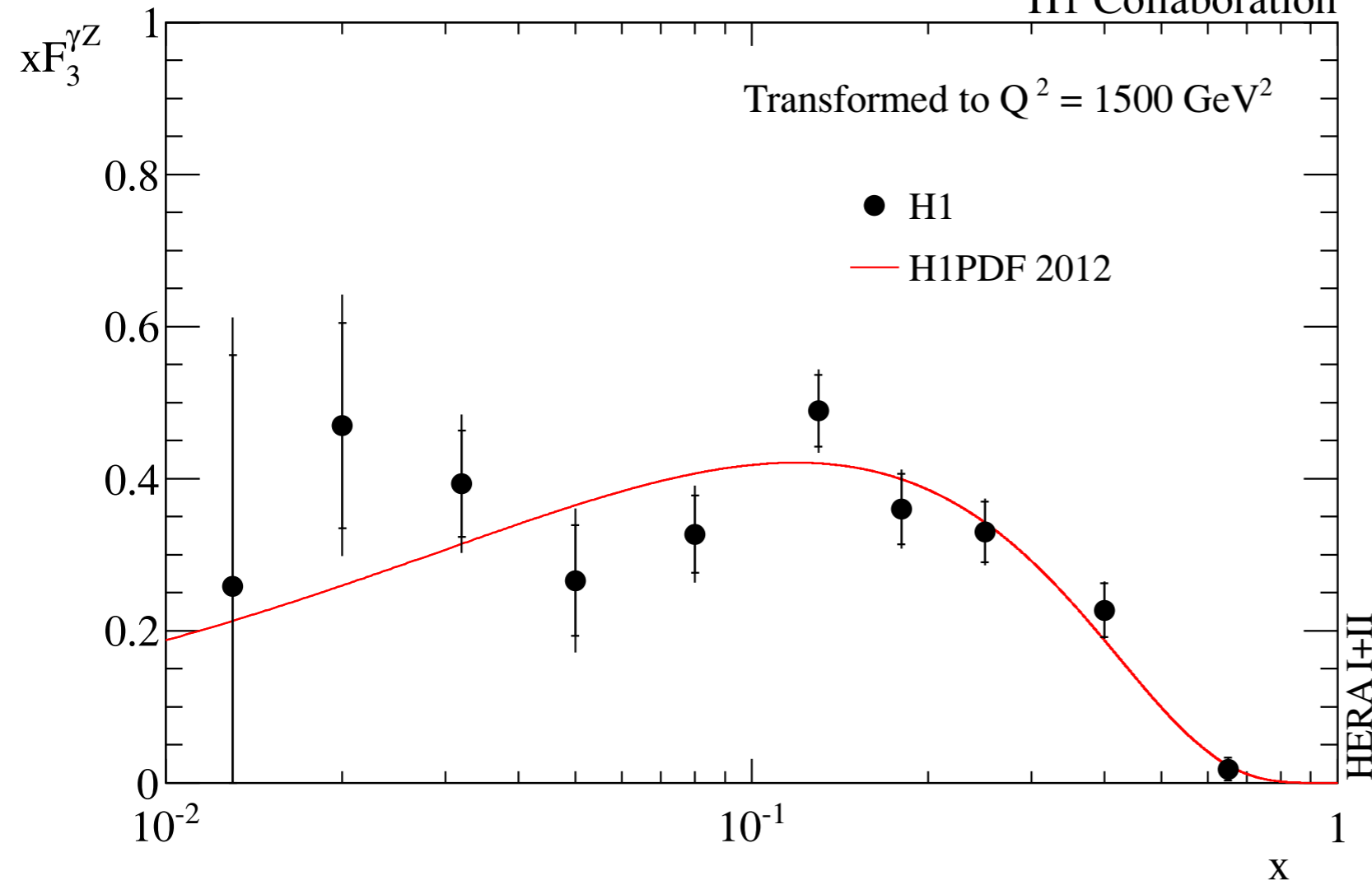
Sensitive to F_L and xg

Difficult measurement:

- low scattered electron energy $E_e' > 5$ GeV
- large photoproduction background

Total uncertainty reduced by factor 2:
HERA-II ~ 2% uncertainty

H1 Collaboration



At $Q^2 \sim M_Z^2$ xF_3 becomes important:
 Enhanced e^- cross section wrt e^+
 Difference is xF_3
 Sensitive to valence PDFs

$$x\tilde{F}_3 = \frac{Y_+}{2Y_-} (\tilde{\sigma}_{NC}^- - \tilde{\sigma}_{NC}^+) \approx a_e \chi_Z xF_3^{\gamma Z}$$

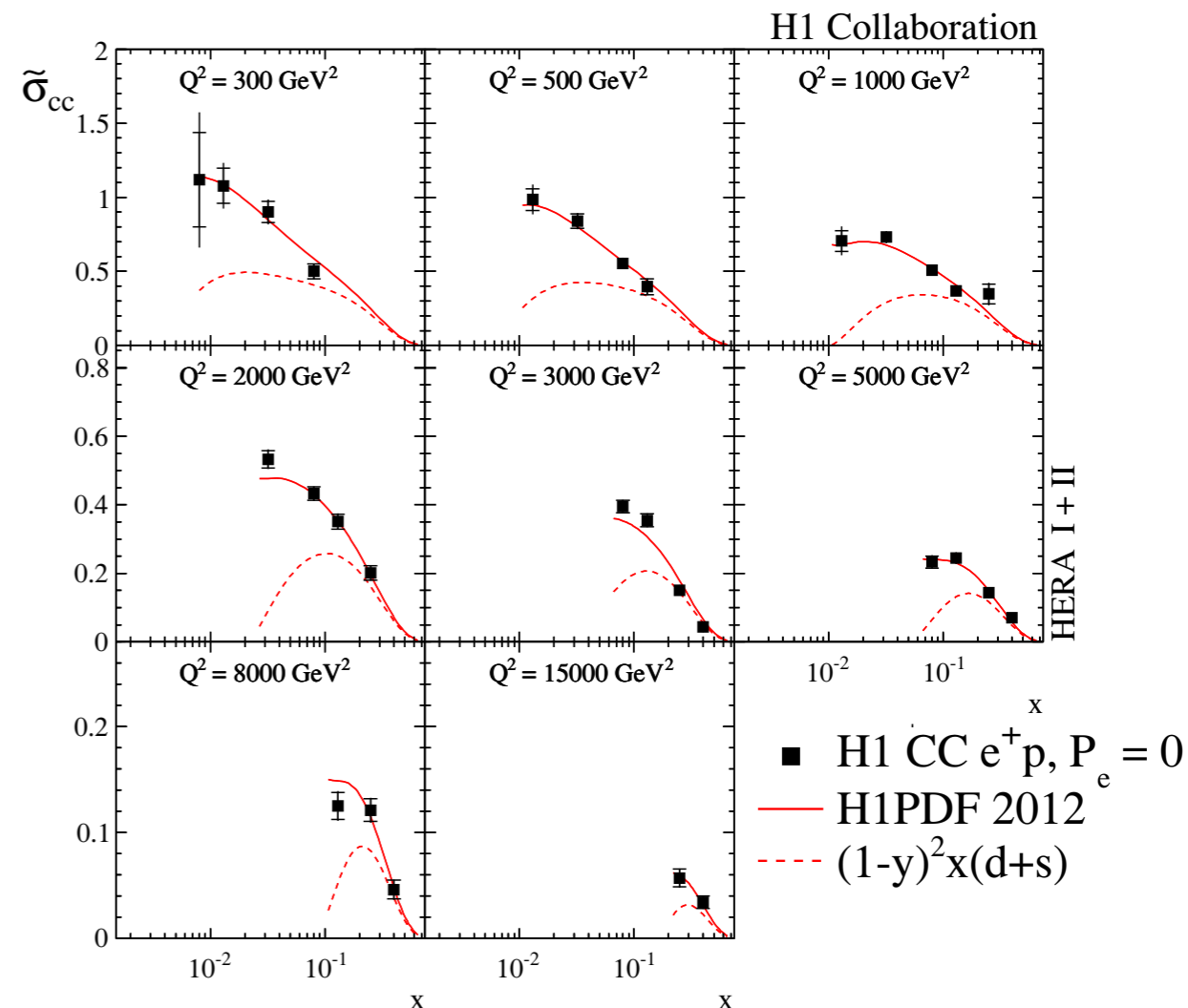
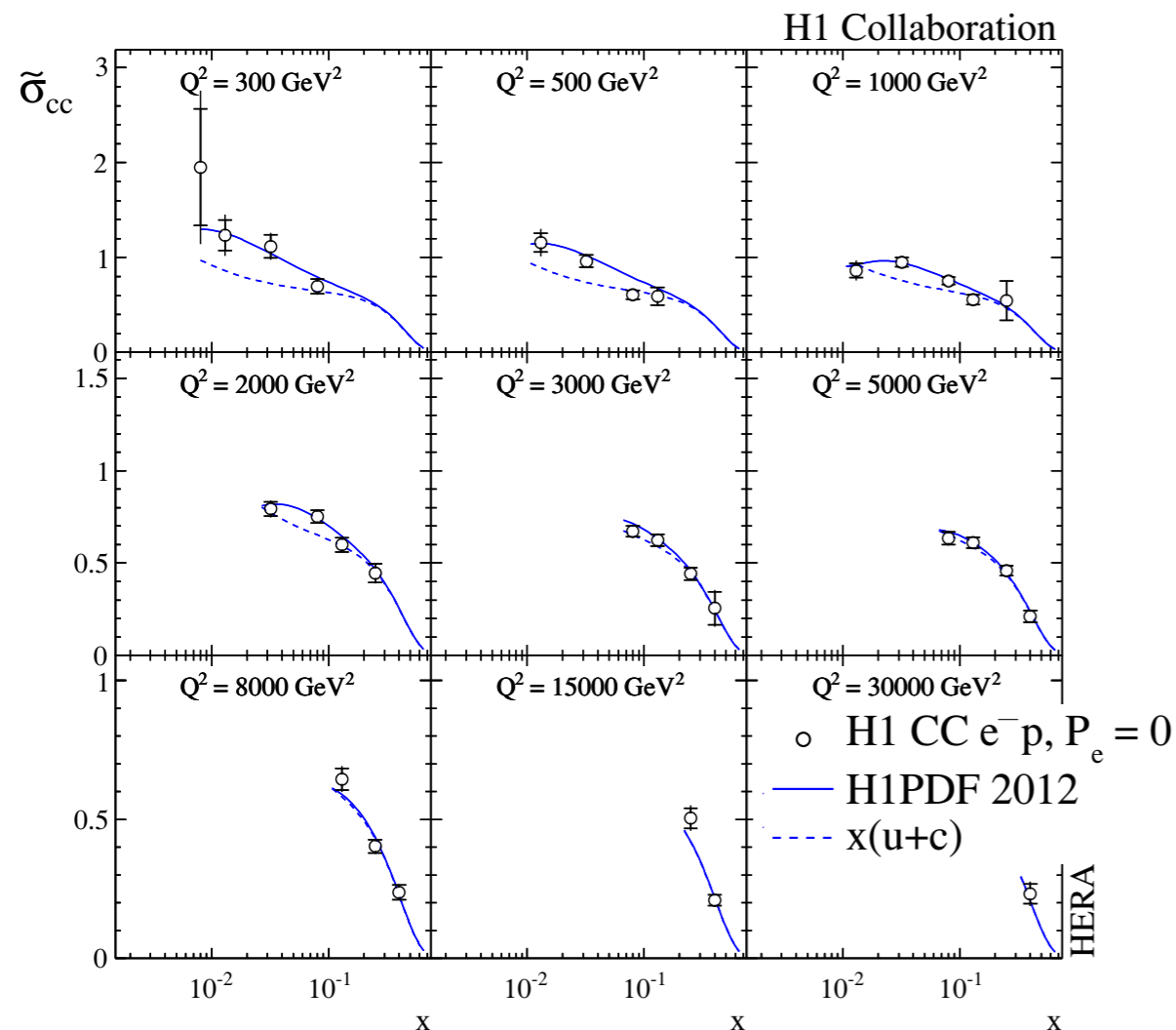
$$x\tilde{F}_3 \propto \sum (xq_i - x\bar{q}_i)$$

Electron scattering

$$\frac{d^2\sigma_{CC}^-}{dx dQ^2} = \frac{G_F^2}{2\pi} \left(\frac{M_W^2}{M_W^2 + Q^2} \right)^2 \left[(u+c) + (1-y)^2(\bar{d} + \bar{s}) \right]$$

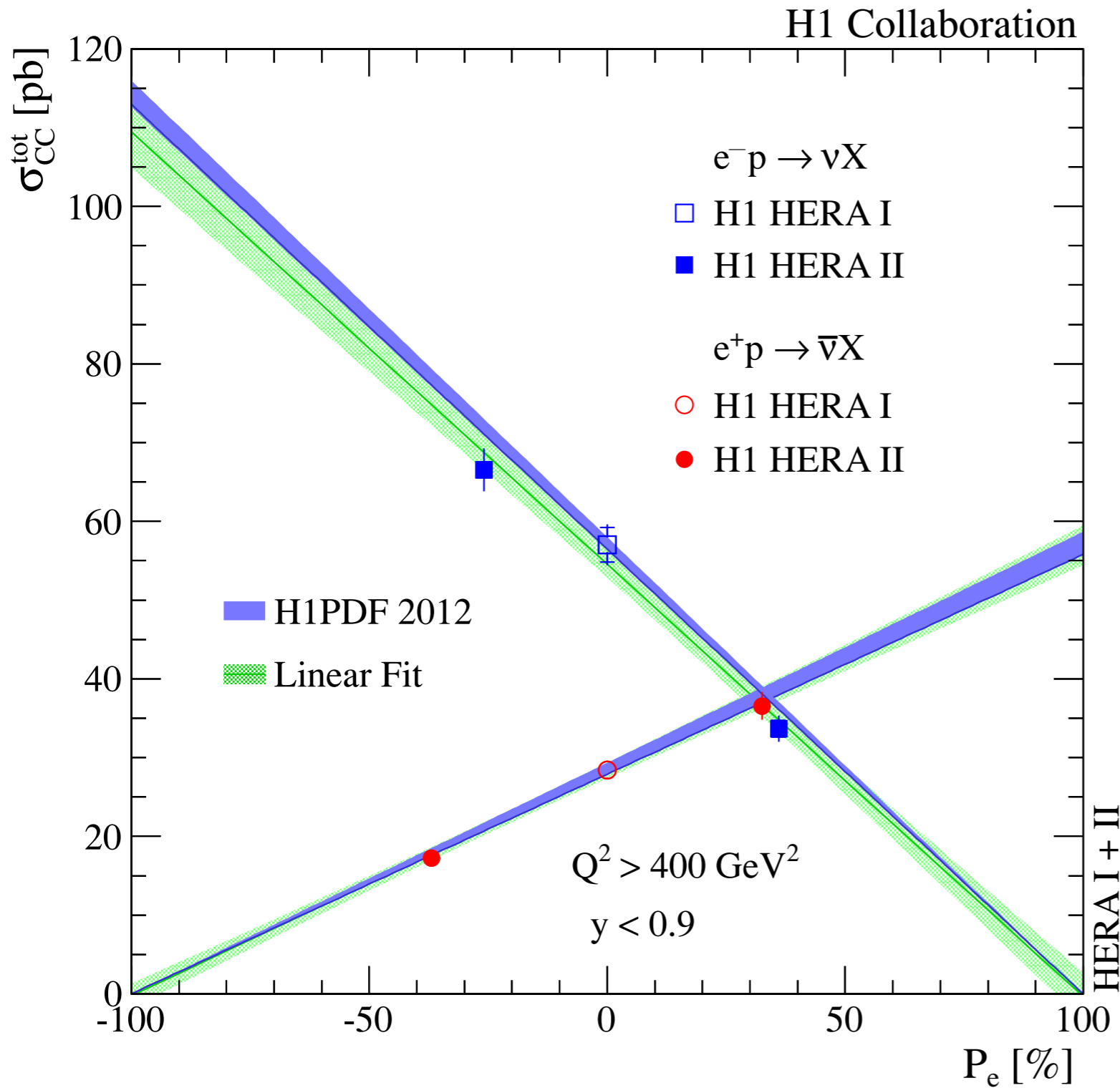
Positron scattering

$$\frac{d^2\sigma_{CC}^+}{dx dQ^2} = \frac{G_F^2}{2\pi} \left(\frac{M_W^2}{M_W^2 + Q^2} \right)^2 \left[(\bar{u} + \bar{c}) + (1-y)^2(d+s) \right]$$



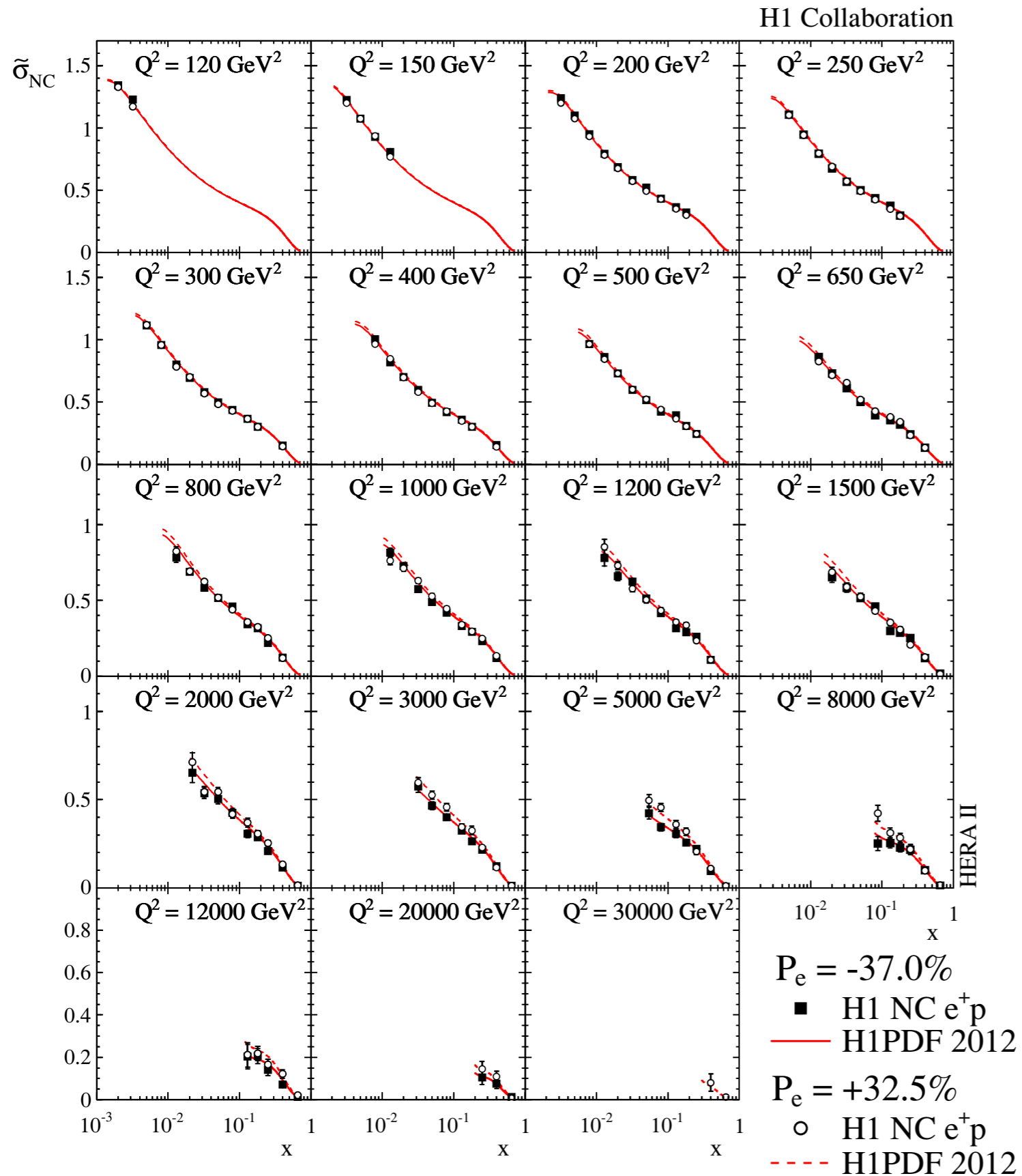
H1 combination of high Q^2 CC data (HERA-I+II)
 Improvement of total uncertainty
 Dominated by statistical errors
 Provide important flavour decomposition information

CC e^+ data provide strong d_v constraint at high x
 Precision limited by statistics: typically 5-10%
 HERA-I precision of 10-15% for e^+
 Large gain to come after combination with ZEUS



Polarisation dependence of CC cross section now final from H1

Linear fit removes constraint of zero cross section at $P_e = \pm 100\%$



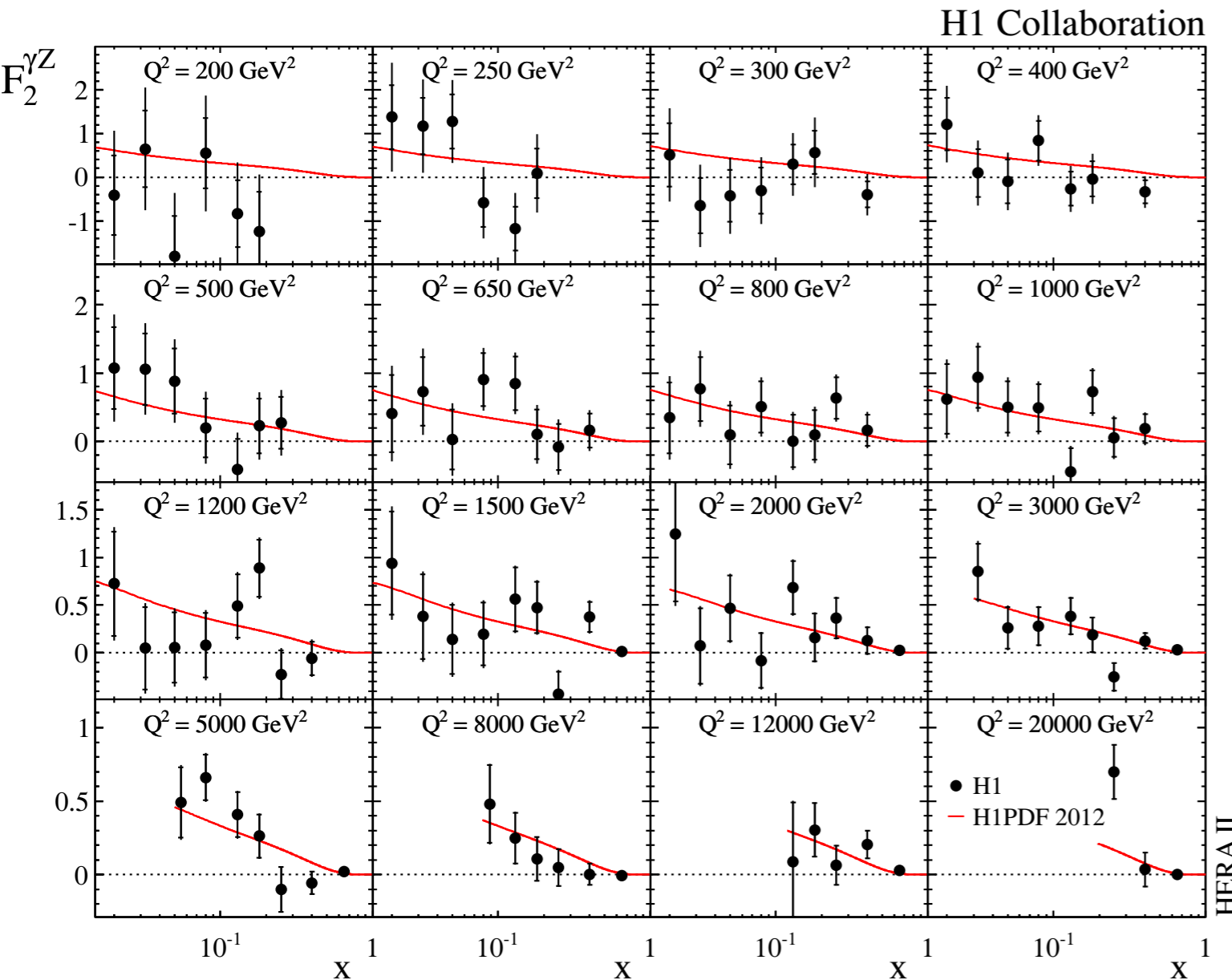
Polarised NC measurements completed for e^+p , e^-p , L-handed, R-handed scattering

Difference in L,R scattering visible at high Q^2

Measuring the difference in NC polarised cross sections gives access to new structure functions:

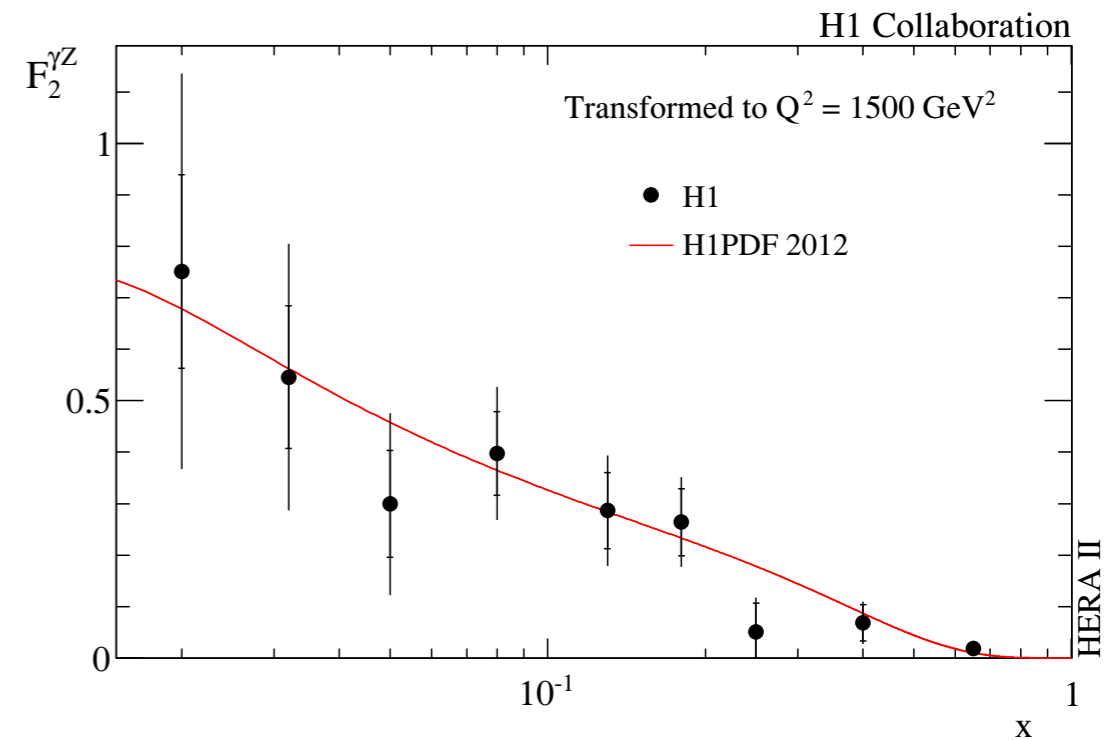
$$\frac{\sigma^\pm(P_L^\pm) - \sigma^\pm(P_R^\pm)}{P_L^\pm - P_R^\pm} = \frac{\kappa Q^2}{Q^2 + M_Z^2} \left[\boxed{\mp a_e F_2^{\gamma Z}} + \frac{Y_-}{Y_+} v_e x F_3^{\gamma Z} - \frac{Y_-}{Y_+} \frac{\kappa Q^2}{Q^2 + M_Z^2} (v_e^2 + a_e^2) x F_3^Z \right]$$

xF₃ terms eliminated by subtracting e⁻p from e⁺p



This structure function allows flavour separation of x u_v and x d_v in NC channel

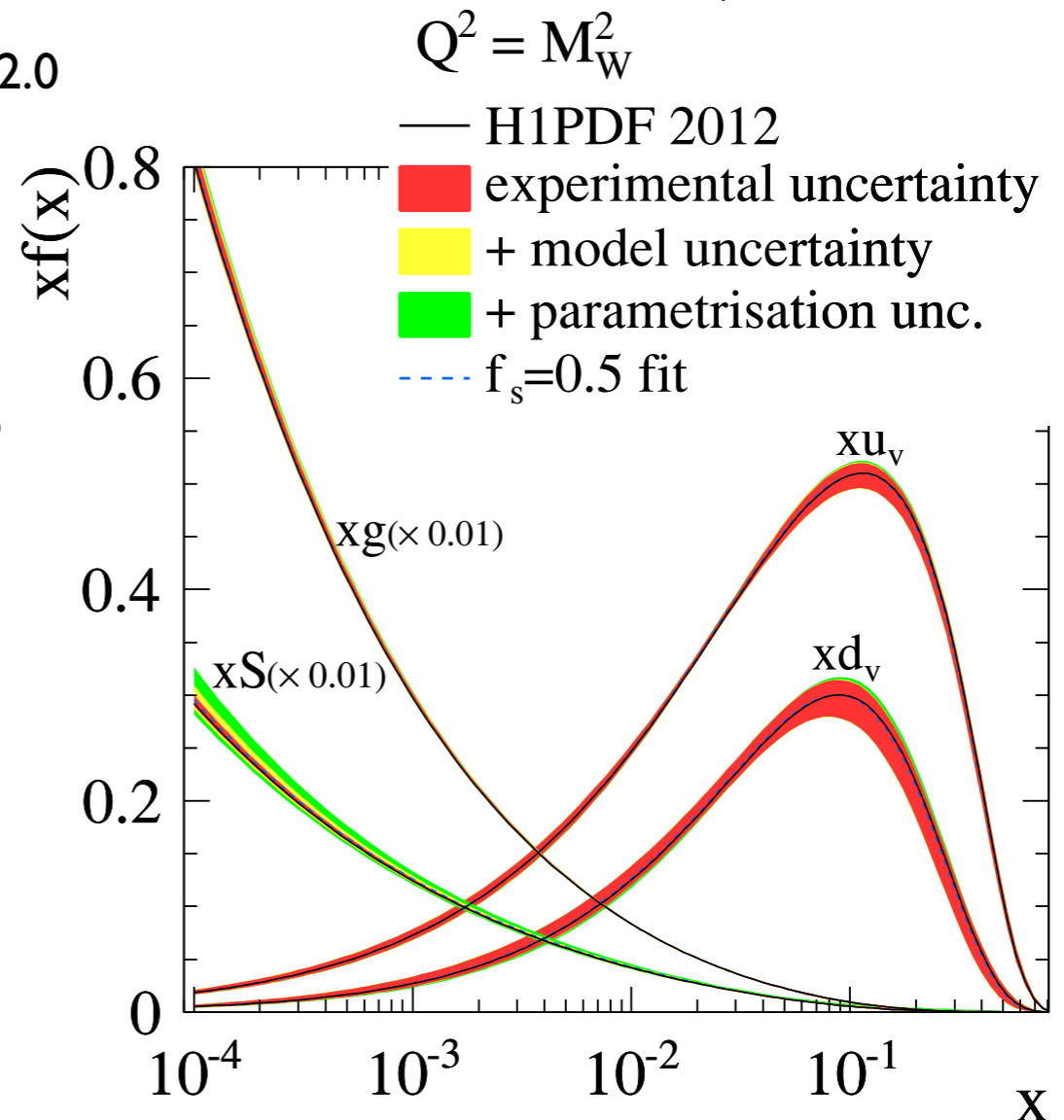
Polarisation asymmetry gives access to u_v / d_v ratio



New PDF fit performed: 'stepping-stone' towards HERAPDF2.0

$$\begin{aligned}
 xg(x) &= A_g x^{B_g} (1-x)^{C_g} - A'_g x^{B'_g} (1-x)^{25}, \\
 xu_v(x) &= A_{u_v} x^{B_{u_v}} (1-x)^{C_{u_v}} (1 + E_{u_v} x^2), \\
 xd_v(x) &= A_{d_v} x^{B_{d_v}} (1-x)^{C_{d_v}}, \\
 x\bar{U}(x) &= A_{\bar{U}} x^{B_{\bar{U}}} (1-x)^{C_{\bar{U}}}, \\
 x\bar{D}(x) &= A_{\bar{D}} x^{B_{\bar{D}}} (1-x)^{C_{\bar{D}}}.
 \end{aligned}$$

$$\chi^2/\text{ndf} = 1570/1461 = 1.07$$



13 parameter fit: additional flexibility given to u_v and d_v compared to H1PDF2009 / HERAPDF1.0

Apply momentum/counting sum rules:

$$\int_0^1 dx \cdot (xu_v + xd_v + x\bar{U} + x\bar{D} + xg) = 1$$

$$\int_0^1 dx \cdot u_v = 2 \quad \int_0^1 dx \cdot d_v = 1$$

Parameter constraints:

$$\begin{aligned}
 B_{\text{Ubar}} &= B_{\text{Dbar}} \\
 \text{sea} &= 2 \times (\text{Ubar} + \text{Dbar}) \\
 \text{Ubar} &= \text{Dbar at } x=0 \\
 f_s &= \text{sbar/Dbar}
 \end{aligned}$$

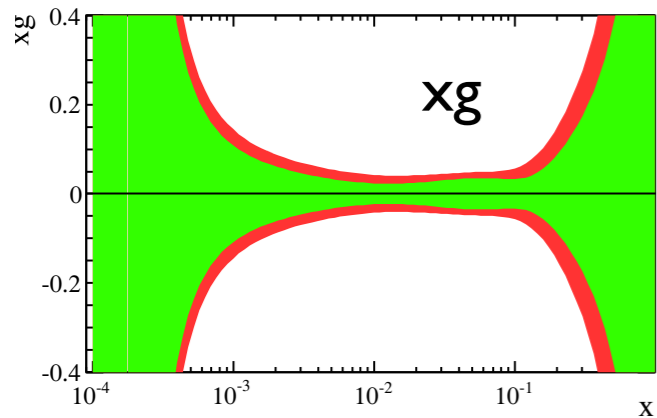
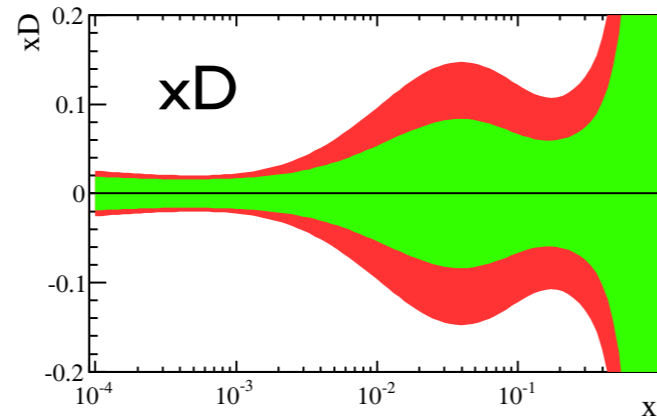
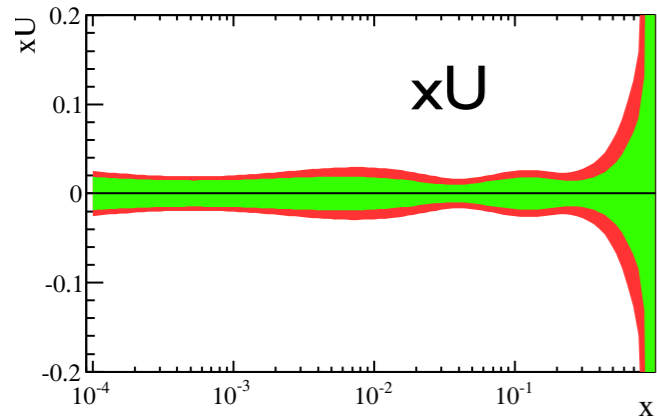
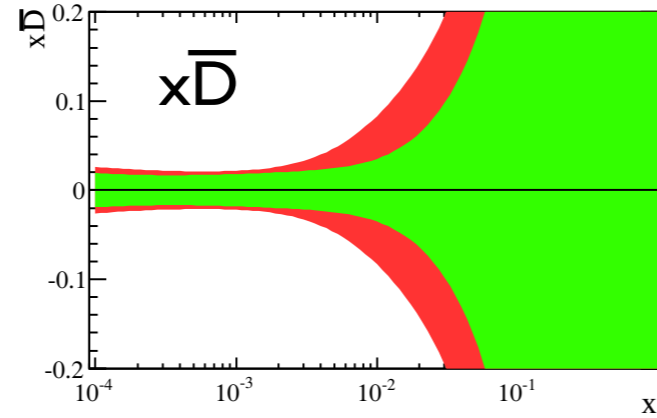
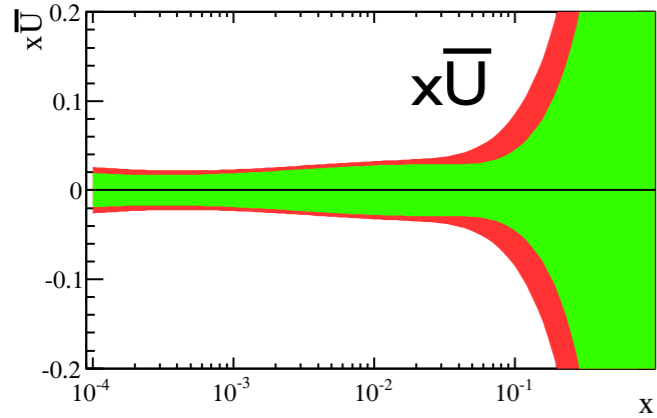
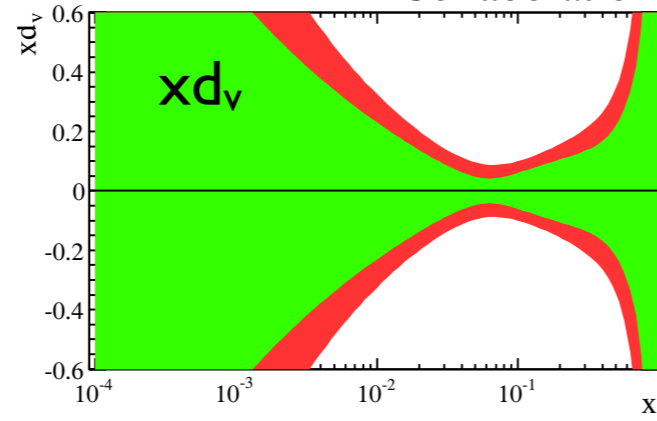
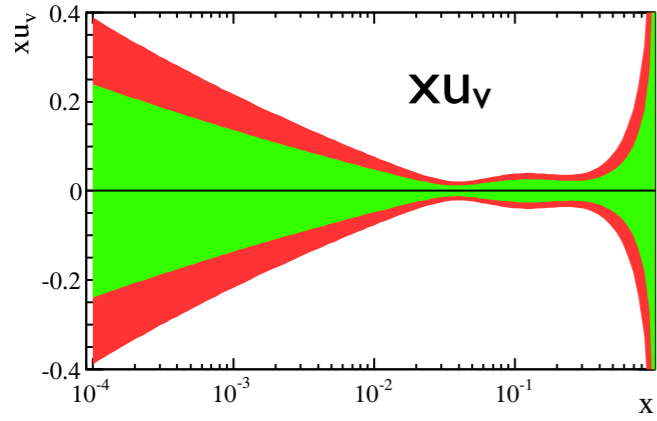
$$Q_0^2 = 1.9 \text{ GeV}^2 \text{ (below } m_c)$$

$$Q^2 > 3.5 \text{ GeV}^2$$

$$2 \times 10^{-4} < x < 0.65$$

Fits performed using RT-VFNS

Fit with unsuppressed strange sea ($f_s=0.5$) is well within error bands



Uncert. due to H1 HERA I data
 Uncert. due to H1 HERA I+II data
 $Q^2 = 1.9 \text{ GeV}^2$

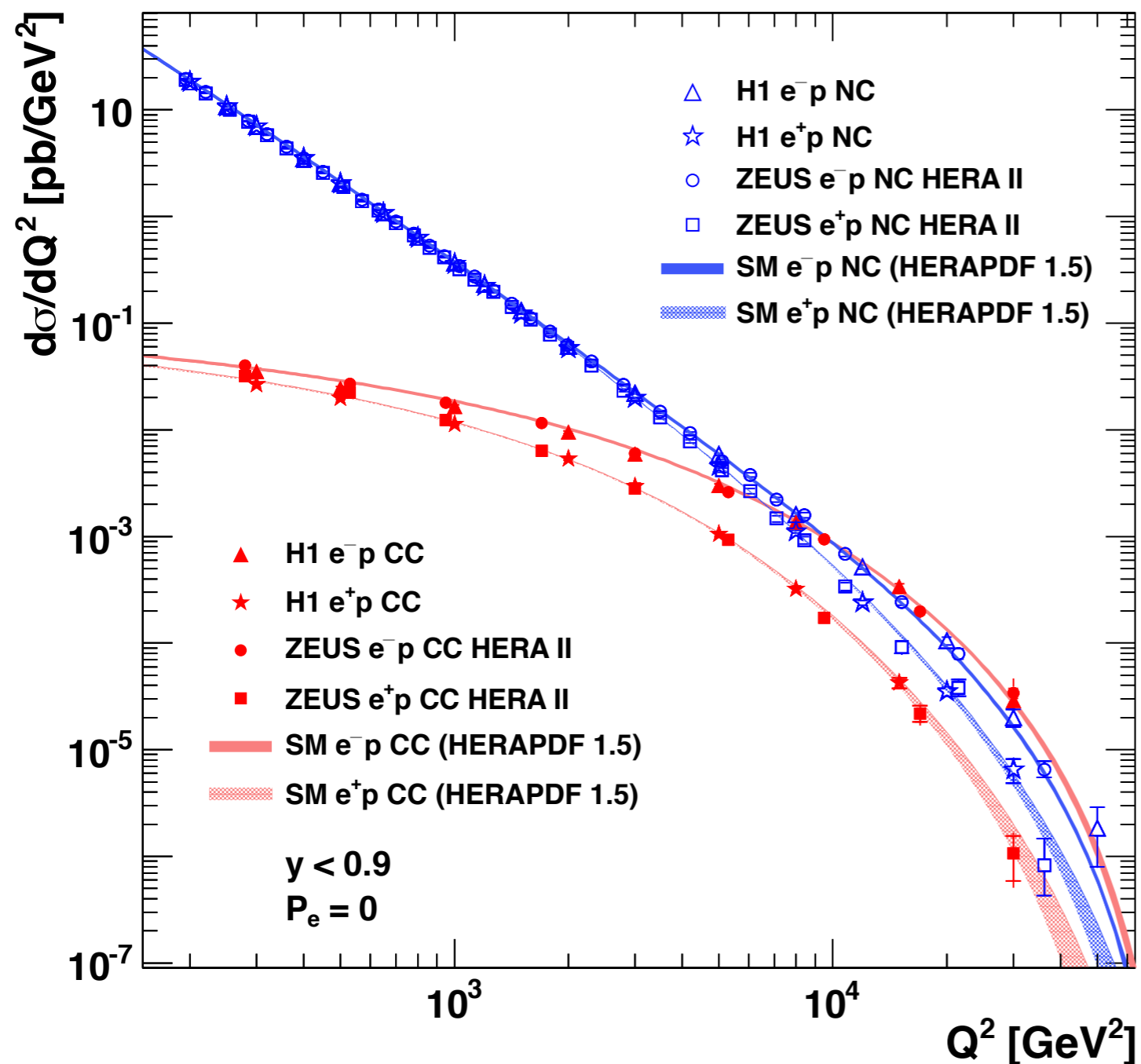
Comparison of PDF uncertainties from H1 fits with and without new HERA-II data

Large improvement in $x d_v$ and $x D$ over wide x range - driven by more precise CC e^+p data

Improvement in $x u_v$ from NC at high x . Error reduction at low x arises from sum rules

High x gluon is also improved from scaling violations

HERA

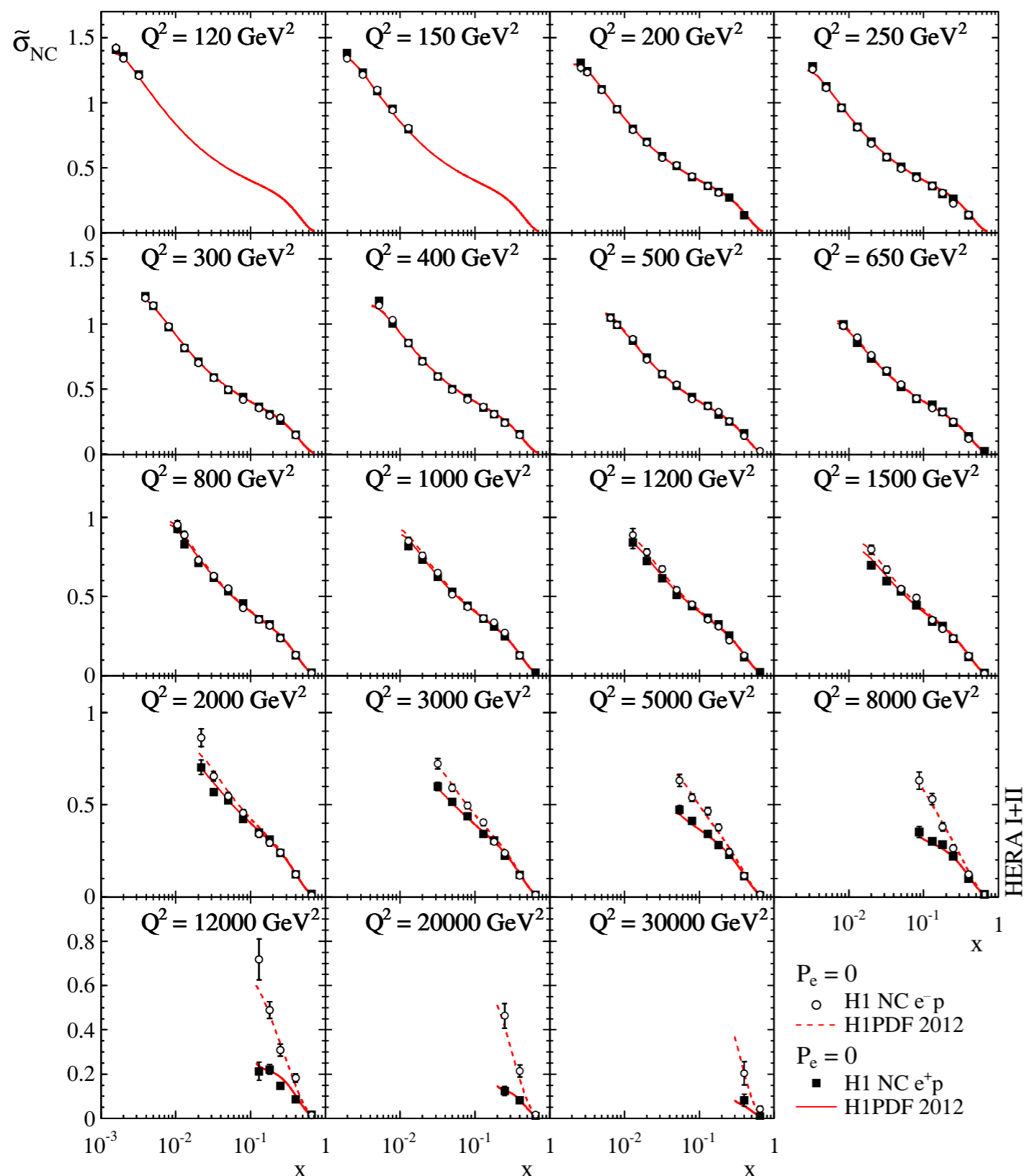


- H1 / ZEUS completed their final SF measurements
- New HERA-II data provide tighter constraints at high x / Q^2
- These data provide some of the most stringent constraints on PDFs
- Stress-test of QCD over 4 orders of mag. in Q^2
- DGLAP evolution works very well
- HERA data provide a self-consistent data set for complete flavour decomposition of the proton
- New combination of HERA data underway
- Combination \Rightarrow HERAPDF2.0 QCD fit





H1 Collaboration



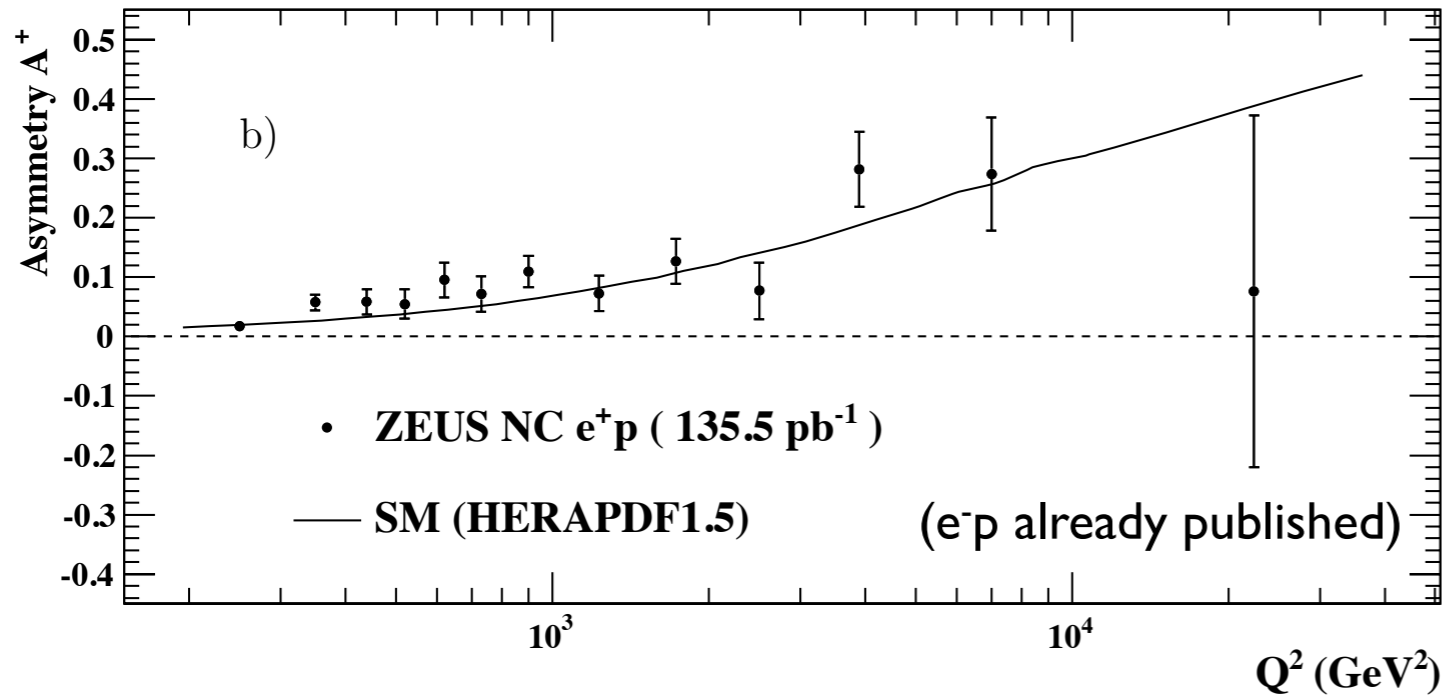
High Q^2 is the EW physics regime:
 Z^0 contribution enhances as Q^2 increases

Final measurement of ZEUS NC e^+p data

Shown here for $P=0$

Polarised measurements also available

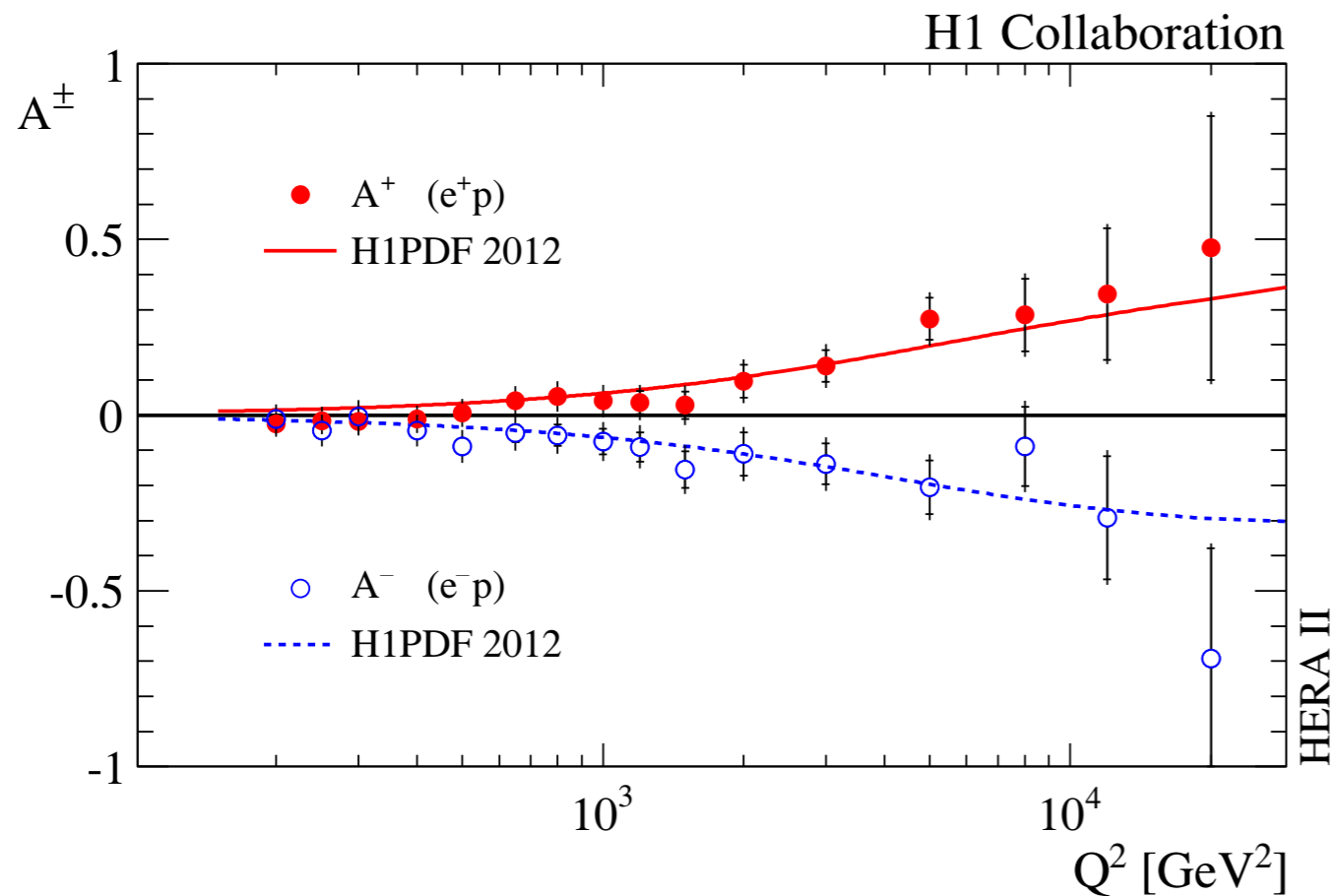
Compared to published NC e^-p data



NC polarisation asymmetry:

$$A^{\pm} = \frac{2}{P_L^{\pm} - P_R^{\pm}} \cdot \frac{\sigma^{\pm}(P_L^{\pm}) - \sigma^{\pm}(P_R^{\pm})}{\sigma^{\pm}(P_L^{\pm}) + \sigma^{\pm}(P_R^{\pm})}$$

At large x $A^{\pm} \propto \pm \kappa \frac{1 + d_v/u_v}{4 + d_v/u_v}$



New H1 data are combined with all previously published H1 inclusive cross section measurements

854 data points averaged to 413 measurements

$$\chi^2/\text{ndf} = 412/441 = 0.93$$

Normalisation shifts for H1 data after averaging

Source	Shift in units of standard deviation	Shift in % of cross section
$\delta\mathcal{L}^1$ (BH Theory)	-0.39	-0.19
$\delta\mathcal{L}^2$ (e^+ 94-97)	-0.46	-0.66
$\delta\mathcal{L}^3$ (e^- 98-99)	-0.69	-1.20
$\delta\mathcal{L}^4$ (e^+ 99-00)	-0.07	-0.10
$\delta\mathcal{L}^5$ (QEDC)	0.81	1.70
$\delta\mathcal{L}^6, \delta\mathcal{L}^7$ ($e^+ L + R$)	0.84	0.80
$\delta\mathcal{L}^8, \delta\mathcal{L}^9$ ($e^- L + R$)	0.84	0.89

Precision medium Q^2
HERA-I data ~unshifted

New high Q^2 HERA-II
data shifted by ~1.7%
(less than 1 std.dev)



Data set	$\delta\mathcal{L}$	δE	$\delta\theta$	δh	δN	δB	δV	δS	δpol
e^+ Combined low Q^2	$\delta\mathcal{L}1$								
e^+ Combined low E_p	$\delta\mathcal{L}1$								
e^+ NC 94-97	$\delta\mathcal{L}1$	$\delta\mathcal{L}2$	$\delta E1$	$\delta\theta1$	$\delta h1$	$\delta N1$	$\delta B1$	—	—
e^+ CC 94-97	$\delta\mathcal{L}1$	$\delta\mathcal{L}2$	—	—	$\delta h1$	$\delta N1$	$\delta B1$	$\delta V1$	—
e^- NC 98-99	$\delta\mathcal{L}1$	$\delta\mathcal{L}3$	$\delta E1$	$\delta\theta2$	$\delta h1$	$\delta N1$	$\delta B1$	—	—
e^- NC 98-99 <i>high y</i>	$\delta\mathcal{L}1$	$\delta\mathcal{L}3$	$\delta E1$	$\delta\theta2$	$\delta h1$	$\delta N1$	—	—	$\delta S1$
e^- CC 98-99	$\delta\mathcal{L}1$	$\delta\mathcal{L}3$	—	—	$\delta h1$	$\delta N1$	$\delta B1$	$\delta V2$	—
e^+ NC 99-00	$\delta\mathcal{L}1$	$\delta\mathcal{L}4$	$\delta E1$	$\delta\theta2$	$\delta h1$	$\delta N1$	$\delta B1$	—	$\delta S1$
e^+ CC 99-00	$\delta\mathcal{L}1$	$\delta\mathcal{L}4$	—	—	$\delta h1$	$\delta N1$	$\delta B1$	$\delta V2$	—
e^+ NC <i>high y</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}6, \delta\mathcal{L}7$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	—	—	$\delta S2$
e^- NC <i>high y</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}8, \delta\mathcal{L}9$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	—	—	$\delta S2$
e^+ NC <i>L</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}6$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	$\delta B1$	—	$\delta P1$
e^+ CC <i>L</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}6$	—	—	$\delta h2$	$\delta N3$	$\delta B1$	$\delta V3$	$\delta P1$
e^+ NC <i>R</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}7$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	$\delta B1$	—	$\delta P2$
e^+ CC <i>R</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}7$	—	—	$\delta h2$	$\delta N3$	$\delta B1$	$\delta V3$	$\delta P2$
e^- NC <i>L</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}8$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	$\delta B1$	—	$\delta P3$
e^- CC <i>L</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}8$	—	—	$\delta h2$	$\delta N3$	$\delta B1$	$\delta V3$	$\delta P3$
e^- NC <i>R</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}9$	$\delta E2$	$\delta\theta3$	$\delta h2$	$\delta N2$	$\delta B1$	—	$\delta P4$
e^- CC <i>R</i>	$\delta\mathcal{L}5$	$\delta\mathcal{L}9$	—	—	$\delta h2$	$\delta N3$	$\delta B1$	$\delta V3$	$\delta P4$

correlation of H1 systematic error sources

$\delta\mathcal{L}1 \rightarrow 0.5\%$ BH theoretical error HERA-I

$\delta\mathcal{L}5 \rightarrow 2.3\%$ Compton lumi error HERA-II

$\delta\mathcal{L}6-9 \rightarrow 1.5\%$ Compton unc. error HERA-II

Data Period	Global Normalisation	Per Period Normalisation	Total Normalisation
e^+ Combined low Q^2	0.993	—	0.993
e^+ Combined low E_p	0.993	—	0.993
HERA I e^+ 94-97	0.993	0.999	0.992
HERA I e^- 98-99	0.993	1.003	0.996
HERA I e^+ 99-00	0.993	1.005	0.998
HERA II e^+ L	1.029	0.991	1.020
HERA II e^+ R	1.029	1.013	1.042
HERA II e^- L	1.029	1.010	1.039
HERA II e^- R	1.029	1.014	1.043

normalisations from H1PDF 2012

Low Q^2 data shifted by -0.7%
 HERA-I high Q^2 by -0.3%
 HERA-II high Q^2 by +2 to +4%

All shifts are <1.3 std.devs

HERAPDF1.0

Combine NC and CC HERA-I data from H1 & ZEUS

Complete MSbar NLO fit

NLO: standard parameterisation with 10 parameters

 $\alpha_s = 0.1176$ (fixed in fit)HERAPDF1.5

Include additional NC and CC HERA-II data

Complete MSbar NLO and NNLO fit

NLO: standard parameterisation with 10 parameters

HERAPDF1.5f

NNLO: extended fit with 14 parameters

desy-09-158

H1-10-142 / ZEUS-prel-10-018

$$xf(x, Q_0^2) = A \cdot x^B \cdot (1-x)^C \cdot (1 + Dx + Ex^2)$$

xg		xg		$xg(x) = A_g x^{B_g} (1-x)^{C_g},$
xu_v	\longrightarrow	$xU = xu + xc$	\longrightarrow	$xu_v(x) = A_{u_v} x^{B_{u_v}} (1-x)^{C_{u_v}} (1 + E_{u_v} x^2),$
xd_v	\longrightarrow	$xD = xd + xs$	\longrightarrow	$xd_v(x) = A_{d_v} x^{B_{d_v}} (1-x)^{C_{d_v}},$
$x\bar{U}$		$x\bar{U} = x\bar{u} + x\bar{c}$		$x\bar{U}(x) = A_{\bar{U}} x^{B_{\bar{U}}} (1-x)^{C_{\bar{U}}},$
$x\bar{D}$		$x\bar{D} = x\bar{d} + x\bar{s}$		$x\bar{D}(x) = A_{\bar{D}} x^{B_{\bar{D}}} (1-x)^{C_{\bar{D}}},$

 $x\bar{s} = f_s x\bar{D}$ strange sea is a fixed fraction f_s of \bar{D} at Q_0^2

Apply momentum/counting sum rules:

$$\int_0^1 dx \cdot (xu_v + xd_v + x\bar{U} + x\bar{D} + xg) = 1$$

$$\int_0^1 dx \cdot u_v = 2 \quad \int_0^1 dx \cdot d_v = 1$$

Parameter constraints:

$$B_{uv} = B_{dv}$$

$$B_{Ubar} = B_{Dbar}$$

$$\text{sea} = 2 \times (\text{Ubar} + \text{Dbar})$$

$$\text{Ubar} = \text{Dbar} \text{ at } x=0$$

$$Q_0^2 = 1.9 \text{ GeV}^2 \text{ (below } m_c)$$

$$Q^2 > 3.5 \text{ GeV}^2$$

$$2 \times 10^{-4} < x < 0.65$$

Fits performed using RT-VFNS

HERAPDF1.0 central values:

	A	B	C	E
xg	6.8	0.22	9.0	
xu_v	3.7	0.67	4.7	9.7
xd_v	2.2	0.67	4.3	
$x\bar{U}$	0.113	-0.165	2.6	
$x\bar{D}$	0.163	-0.165	2.4	

$$\chi^2 / \text{ndf} = 574/582$$

Parameter	Central Value	Lower Limit	Upper Limit
f_s	0.31	0.23	0.38
m_c (GeV)	1.4	1.35 (for $Q_0^2 = 1.8$ GeV)	1.65
m_b (GeV)	4.75	4.3	5.0
Q_{\min}^2 (GeV ²)	3.5	2.5	5.0
Q_0^2 (GeV ²)	1.9	1.5 ($f_s = 0.29$)	2.5 ($m_c = 1.6, f_s = 0.34$)

Exclusive jet data required for free α_s fit

Experimental systematic sources of uncertainty allowed to float in fit
Include model assumptions into uncertainty:

$f_s, m_c, m_b, Q_0^2, Q_{\min}^2$

Variation	Standard Value	Lower Limit	Upper Limit
f_s	0.31	0.23	0.38
m_c [GeV]	1.4	1.35 ^(a)	1.65
m_b [GeV]	4.75	4.3	5.0
Q_{\min}^2 [GeV ²]	3.5	2.5	5.0
Q_0^2 [GeV ²]	1.9	1.5 ^(b)	2.5 ^(c,d)

$$^{(a)}Q_0^2 = 1.8$$

$$^{(c)}m_c = 1.6$$

$$^{(b)}f_s = 0.29$$

$$^{(d)}f_s = 0.34$$

Excellent consistency of input data allow standard statistical error definition:

$$\Delta\chi^2 = 1$$

In 14 parameter fit:

release $B_{uv} = B_{dv}$ constraint

allow more flexible gluon

$$xg(x, Q_0^2) = A \cdot x^B \cdot (1-x)^C - A' \cdot x^{B'} \cdot (1-x)^{25}$$

allows for valence-like or negative gluon at Q_0^2



HERAPDF1.0

Combine NC and CC HERA-I data from H1 & ZEUS
Complete MSbar NLO fit
NLO: standard parameterisation with 10 parameters
 $\alpha_s = 0.1176$ (fixed in fit)

HERAPDF1.5

Include additional NC and CC HERA-II data
Complete MSbar NLO and NNLO fit
NLO: standard parameterisation with 10 parameters

HERAPDF1.5f

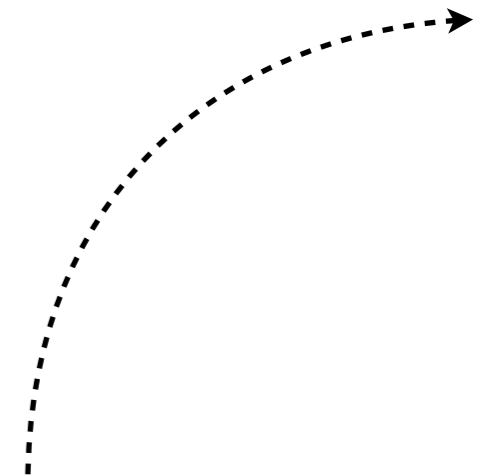
NNLO: extended fit with 14 parameters

HERAPDF1.6

Include additional NC inclusive jet data $5 < Q^2 < 15000$
Complete MSbar NLO fit
NLO: standard parameterisation with 14 parameters
 $\alpha_s = 0.1202 \pm 0.0013$ (exp) ± 0.004 (scales) free in fit

HERAPDF1.7

Include 41 additional F_2^{cc} data $4 < Q^2 < 1000$
Include 224 combined cross section points $E_p=575/460$ GeV
Complete MSbar NLO fit
NLO: standard parameterisation with 14 parameters



HERAPDF2.0

Include final:

HERA-I low/medium Q^2 precision F_2

HERA-II high Q^2 polarised NC/CC data

HERA-II low/medium energy NC data

HERA-I+II F_2^{cc} combined data from H1 & ZEUS

HERA-I+II multijet data - awaiting H1 publication

Combined F_2^{cc} now published
Eur. Phys. J. C73 (2013) 2311

Final structure function measurements from H1 / ZEUS now published

Combination of the data is underway

New combination will include:

HERA-I published data

HERA-II published data

low/medium energy $E_p=575/460$ GeV run data

Expect several fits:

NLO vs NNLO

NLO will be: inclusive NC/CC data & inclusive + F_2^{cc} (+ jets?)

Include fit to α_s

MC method for experimental errors will be used